CSC 588 Machine Learning Theory

TuTh 9:30am - 10:45am, Gould-Simpson 701

Description of Course

This course provides an introduction to the theoretical aspects of machine learning. Students will learn how and when machine learning is possible/impossible as well as various algorithms with theoretical guarantees under minimal assumptions. Specifically, the course offers formulation of learning environments (e.g., stochastic and adversarial worlds with possibly limited feedback), fundamental limits of learning in these environments, various algorithms concerning sample efficiency, computational efficiency, and generality. Throughout, students will not only learn fundamental tools upholding the current understanding of machine learning systems in the research community but also develop skills of adapting these techniques to their own research needs such as developing new algorithms for large-scale, data-driven applications.

Course Prerequisites

Students must have strong familiarity with:

- Linear Algebra: linear space, basis, dimensions, linear transformations, matrices, eigenvalues and eigenvectors, positive definiteness of a matrix, matrix decompositions such as the SVD
- Multivariate Calculus: total derivative, gradient, linearity of the derivatives, (secondorder) Taylor's expansion
- Basic probability theory: elementary events, definitions of probability, discrete and continuous random variables, distribution laws, (conditional) expectation, (conditional) independence, law of large numbers, central limit theorems
- Basic programming: fluency in at least one programming language (e.g. Matlab, Julia, Python, C, C++), using loops, lists, sorting, traversal in trees.

Instructor and Contact Information

Kwang-Sung Jun Gould-Simpson 746 kjun@cs.arizona.edu

Personal page: https://kwangsungjun.github.io/

Course D2L: https://d2l.arizona.edu/d2l/home/1263205

Course Piazza: https://piazza.com/arizona/spring2023/csc588 code: 588wildcats

Gradescope: entry code: G2KEXJ Office Hour: Tue 4-5pm, GS 746.

Course Format and Teaching Methods

Lectures, individual homework assignments (written and programming), scribe note taking assignments, a semester-long group project, in-class discussions.

Obtaining Help

- Advising: If you have questions about your academic progress this semester, or your chosen degree program, consider contacting your graduate program coordinator and faculty advisor. Your program coordinator, faculty advisor, and the <u>Graduate Center</u> can guide you toward university resources to help you succeed. **Computer Science students** are encouraged to email <u>gradadvising@cs.arizona.edu</u> for advising related questions.
- **Life challenges:** If you are experiencing unexpected barriers to your success in your courses, please note the Dean of Students Office is a central support resource for all students and may be helpful. The <u>Dean of Students Office</u> can be reached at 520-621-2057 or DOS-deanofstudents@email.arizona.edu.
- **Physical and mental-health challenges**: If you are facing physical or mental health challenges this semester, please note that Campus Health provides quality medical and mental health care. For medical appointments, call (520-621-9202. For After Hours care, call (520) 570-7898. For the Counseling & Psych Services (CAPS) 24/7 hotline, call (520) 621-3334.
- **UA Ombuds**: The <u>UA Ombuds Office</u> (https://ombuds.arizona.edu/) helps with a wide variety of issues, concerns, questions, conflicts, and challenges. The primary mission of the Ombuds Program is to assist individuals in resolving conflict, facilitating communication, and assisting the University by surfacing issues and providing feedback on emerging or systemic concerns. Communications with the Ombuds Committee are informal and off-the-record. The Ombuds Committee is governed by the following standards: (1) Confidentiality; (2) Impartiality: (3) Informality; and (4) Independence.

Class Recordings

For lecture recordings, which are used at the discretion of the instructor, students must access content in D2L only. Students may not modify content or re-use content for any purpose other than personal educational reasons. All recordings are subject to government and university regulations. Therefore, students accessing unauthorized recordings or using them in a manner inconsistent with UArizona values and educational policies (Code of Academic Integrity and the Student Code of Conduct) are also subject to civil action.

If students do not wish to be identified by name, please contact the instructor directly.

Course Objectives

A successful student will be able to explain the key learning theory concepts and analyze the lower and upper bounds of various machine learning tasks:

- PAC learning model
- VC dimension, Rademacher complexity
- Sample complexity bounds for finite classes and linear functions
- Boosting
- Support vector machine
- PAC-Bayes bounds, stability bounds
- Online classification and mistake bounds
- Online convex optimization, follow the regularized leader, online mirror descent.

- Online-to-batch conversion
- Online learning with limited feedback (bandits)
- Online reinforcement learning

For a more fine-grained description of the learning objectives, see the week-by-week schedule below. This course covers key topics that are both building blocks of advanced machine learning theory and also relevant in modern research. The students can directly adapt learned topics to their own research. Students are expected to dedicate a significant amount of time on understanding mathematical concepts and skills outside the classroom.

Expected Learning Outcomes

The expected learning outcomes of the course are:

- To identify the factors that affect the performance of learning algorithms, including label noise, approximation error, optimization error, generalization error
- To establish the concentration between training and test losses (i.e. going to zero in probability as sample size grows) by uniform convergence theory
- To explain how the complexity/size of the hypothesis class can affect an algorithm's generalization performance.
- To explain overfitting/underfitting in mathematical language, and use the theory of structural risk minimization to perform model selection
- To explain the role of margins in learning theory
- To explain the difference between follow the regularized leader and online mirror descent, and derive basic regret guarantees of the two types of algorithms
- To explain the connections between online optimization and offline optimization
- To derive generalization guarantees for online learning algorithms
- To analyze optimization errors of learning algorithms, such as boosting and SVM
- To use the "optimism in the face of uncertainty" principle to design algorithms with provable guarantees for sequential decision making with uncertainty

Absence and Class Participation Policy

The UA's policy concerning Class Attendance, Participation, and Administrative Drops is available at https://catalog.arizona.edu/policy/class-attendance-and-participation

The UA policy regarding absences for any sincerely held religious belief, observance or practice will be accommodated where reasonable: http://policy.arizona.edu/human-resources/religious-accommodation-policy.

Absences pre-approved by the UA Dean of Students (or dean's designee) will be honored. See https://deanofstudents.arizona.edu/policies/attendance-policies-and-practices

Participating in the course and attending lectures and other course events are vital to the learning process. As such, attendance is required at all lectures. The instructor reserves the right to check attendance in any lecture, which may factor in the participation scores. If you anticipate being absent, are unexpectedly absent, or are unable to participate in class online activities, please contact me as soon as possible. To request a disability-related accommodation to this attendance policy, please contact the Disability Resource Center at (520) 621-3268 or drc-info@email.arizona.edu. If you are experiencing unexpected barriers to your success in your courses, the Dean of Students

Office is a central support resource for all students and may be helpful. The Dean of Students Office is located in the Robert L. Nugent Building, room 100, or call 520-621-7057.

Illnesses and Emergencies

- If you feel sick, or may have been in contact with someone who is infectious, stay home. Except for seeking medical care, avoid contact with others and do not travel.
- Notify your instructor(s) if you will be missing up to one week of course meetings and/or assignment deadlines.
- If you must miss the equivalent of more than one week of class and have an emergency, the
 Dean of Students is the proper office to contact (<u>DOS-deanofstudents@email.arizona.edu</u>).
 The Dean of Students considers the following as qualified emergencies: the birth of a child,
 mental health hospitalization, domestic violence matter, house fire, hospitalization for
 physical health (concussion/emergency surgery/coma/COVID-19 complications/ICU), death of
 immediate family, Title IX matters, etc.
- Please understand that there is no guarantee of an extension when you are absent from class and/or miss a deadline.

Statement on compliance with COVID-19 mitigation guidelines: As we enter the semester, your and my health and safety remain the university's highest priority. To protect the health of everyone in this class, students are required to follow the university guidelines on COVID-19 mitigation. Please visit www.covid19.arizona.edu.

Makeup Policy for Students Who Register Late

If you register late for this class, contact me as soon as you do. You will be expected to submit all missed homework assignments within a week of your registration. It is your responsibility to catch up to the class content.

Course Communications

We will use D2L for communications and discussion.

Required Texts and Materials

There is no designated textbook for this course. Much of the course materials will be based on the following books (in order of appearance in class schedule):

[SSBD] <u>Understanding machine learning: from theory to algorithms</u> by Shai Shalev-Shwartz and Shai Ben-David,

[O] A Modern Introduction to Online Learning by Francesco Orabona,

[LS] Bandit algorithms by Tor Lattimore and Csaba Szepesvari,

Scheduled Topics/Activities

Week	Date	Description	Additional readings
1			
	01/12	Lecture: Introduction, motivation, course mechanics	
		A1: Calibration Homework	

	01/17	Lastina, Dasias, sansartination of more	CCDD D 1 and D 3
2	01/17	Lecture: Basics: concentration of measure	SSBD B.1 and B.2
		Objective: Explain the differences between	
		sub-Gaussian, sub-exponential, light-tailed,	
		heavy-tailed random variables.	
		Derive the concentration inequalities using	
		Markov's inequality	
		/ Chebyshev's inequality. Derive sample	
		complexities to bound a random variable by a target constant.	
	01/19	Lecture: The statistical learning / PAC	SSBD Sec 2 & 3.1
		learning framework	2322 300 2 0 3.1
		Objectives: explain the key components of	
		statistical learning framework. What is the	
		inductive bias? Derive the generalization	
		bound of finite hypothesis class under	
		realizability assumption.	
3	01/24	Lecture: VC Theory (1)	SSBD Sec 6
		Objectives: develop the tools needed to	
		guarantee generalization performance when	
		learning from an infinite hypothesis set. Motivate the VC dimension as a notion of	
		capacity of hypothesis classes. Compute the	
		VC dimension for some exemplar hypothesis	
		classes. State Sauer-Shelah lemma.	
	01/26	Lecture: VC Theory (2)	
		Objectives: explain the uniform convergence	
		between the training loss and generalization	
		loss, and motivate the issue of	
		overfitting/model selection in machine	
		learning. Prove	
		Sauer-Shelah lemma, and state the uniform	
		convergence theorem of VC classes.	
		A1 Due	
4	01/31	Lecture: Rademacher complexity	SSBD Sec 26
		Objectives: explain the notion of Rademacher	
		complexity, and use this as a tool to prove	
		the uniform convergence result.	
		Give the proof of the uniform convergence	
		theorem.	
	02/02	Lecture: Support Vector Machine (1)	SSBD Sec 15
		Objectives: build geometric intuition of	
		classification problems. Motivate the SVM	
		optimization as the maximum margin	
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		hyperplane problem. Derive its primal form and dual form.	
		Derive the stochastic gradient descent	
		algorithm.	
		A2: Concentration of measure, the PAC learning framework, VC Theory	
5	02/07	Lecture: Support Vector Machine (2); kernel methods, margin bounds	SSBD Sec 15
		Objectives: explain why Support Vector Machines has good generalization performance. State margin bounds, and use the Rademacher complexity of ramp loss and the contraction inequality to prove it.	
	02/09	Lecture: Model Selection: Structural Risk Minimization	SSBD Sec 7.1-7.3
		Objectives: Revisit the model selection problem in machine learning from a theoretical perspective. Show that by structural risk minimization, one can find a classifier that best tradeoffs between expressiveness and generalization.	
6	02/14	Lecture: Boosting (1)	SSBD Sec 10
		Objectives: motivate (distribution-free) weak learning as an important algorithmic primitive to machine learning. State the AdaBoost algorithm, and show that its training error decreases exponentially as a function of the number of iterations.	
	02/16	Lecture: Boosting (2)	
		Objectives: explain why AdaBoost has good generalization performance (it improves even if training error drops to zero) using large margin theory. Derive margin bounds for voting classifiers.	
		A2 due	
7	02/21	Lecture: Backgrounds on convex functions	SSBD Sec 12
		Objective: give an overview of convexity and how they are useful in machine learning. Definition of convex sets, separating hyperplane theorem, supporting hyperplane theorem, convex functions, subgradients, strong convexity, smoothness, fenchel	

		duality, Fenchel-Young inequality)	
	02/23	Lecture: Regularization and stability (1)	SSBD Sec 13
	02,23	Lectarer regularization and stability (1)	0000 000 10
		Objective: show regularization as a tool of	
		controlling the capacity of model class. Show	
		that adding regularization penalty is	
		equivalent to certain constrained loss	
		minimization problems.	
		A2. Dedouge show some levite. Compart	
		A3: Rademacher complexity, Support	
	02/20	vector machines and Boosting	
8	02/28	Lecture: Regularization and stability (2)	
		Objective: Show that ell_2 regularization over	
		convex loss functions implies pointwise	
		stability.	
	03/02	Lecture: Online classification	SSBD Sec 21.4
		Objectives: understand the mistake bound	
		model. Explain the difference between	
		perceptron and winnow and prove the	
		mistake bounds of them. What is Littlestone's	
		dimension?	
		Understand the second order perceptron	
		algorithm, and how it is different from the	
		Latara a financia de la compansión de la c	
		standard perceptron.	
		standard perceptron.	
		Project proposal due	
9	03/07		
9	03/07 03/09	Project proposal due Spring recess	
9	•	Project proposal due Spring recess	SSBD Sec 21.1-21.3
	03/09	Project proposal due Spring recess Spring recess	SSBD Sec 21.1-21.3
	03/09	Project proposal due Spring recess Spring recess Lecture: Online Convex Optimization (OCO):	SSBD Sec 21.1-21.3
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	03/09	Project proposal due Spring recess Spring recess Lecture: Online Convex Optimization (OCO): Intro, online gradient descent, online-to-batch conversion Objectives: How does one state the	SSBD Sec 21.1-21.3
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	03/09	Project proposal due Spring recess Spring recess Lecture: Online Convex Optimization (OCO): Intro, online gradient descent, online-to-batch conversion Objectives: How does one state the guarantee of an OCO algorithm? Prove the online gradient descent regret bound. What is	SSBD Sec 21.1-21.3
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		Objectives: When is OMD equivalent to FTRL? Understand the key difference from FTRL in the regret bound.	
	03/23	Lecture: Online Convex Optimization for strongly-convex / exp-concave functions	O Sec 7.9-7.10
		Objectives: Prove regret bounds of online gradient descent for strongly-convex functions. Prove regret bounds of online newton step for exp-concave functions. Understand how it can be instantiated for square loss. Understand the role of step sizes for these algorithms.	
		A4 Assigned: Online learning	
12	03/28	Lecture: Prediction with expert advice (1)	O Sec 6.8
		Objectives: Understand the case of 0-1 loss and the role for randomization. Understand the Hedge algorithm.	
	03/30	Lecture: Prediction with expert advice (2) Objectives: Understand the trick for competing with switching experts (the fixed share algorithm).	
13	04/04	Lecture: Stochastic multi-armed bandits (1)	LS Sec 6
		Objectives: Understand the principle of "optimism in the face of uncertainty". Prove regret bound of the upper confidence bound algorithm. Prove the regret bound of Thompson sampling.	
	04/06	Lecture: Stochastic multi-armed bandits (2)	LS Sec 7
		Objectives: Understand the difference between regret minimization and pure exploration. What is the difference between the fixed confidence setting and the fixed budget setting? Prove the guarantees of the successive elimination algorithm and the successive reject algorithm.	
14	04/11	Lecture: Adversarial multi-armed bandits	LS Sec 11
		Objectives: Understand the EXP3 algorithm. What is the key trick that overcomes the nature of limited feedback? How is it related to the weighted majority algorithm?	
	04/13	Lecture: Stochastic linear bandits (1)	LS Sec 19

		Objectives: Understand how the side- information can improve the regret bound. Prove the regret bound of OFUL algorithm. Understand how it can be extended to linear Thompson sampling.	
		Thompson sampling.	
		A4 Due (6pm)	
15	04/18	Lecture: Stochastic linear bandits (2)	LS Sec 21
		Objectives: Understand the proof of self- normalized martingale inequality. Understand	
		the SupLinRel algorithm and the need for independent samples.	
	04/20	Lecture: Online reinforcement learning in Markov decision processes (1)	LS Sec 38
		Objective: understand the Markov decision process model and the meaning of PAC learning in this context. Understand the extra challenges of reinforcement learning compared to bandit problems. Present the UCB-VI algorithm and its intuition.	
16	04/25	Lecture: Online reinforcement learning in Markov decision processes (2)	
		Objective: Prove the online regret bound of the UCB-VI algorithm. Understand the	
		simulation lemma and its usage in the proof.	
		Final project report due (6pm)	
	04/27	Project presentation I	
17	•	Project presentation II	
	05/09	Final exam (8am-10am)	

Final Examination or Project

The date and time of the final exam or project, along with links to the Final Exam Regulations and Final Exam Schedule: https://registrar.arizona.edu/faculty-staff-resources/room-class-scheduling/schedule-classes/final-exams

Final exam will be 8am-10am on May 9 at our classroom.

The course will have a project component, carried out by each student individually. The project can be of three types:

- a. Literature survey. A maximum 4-page literature survey of >=3 papers on a learning theory research topic;
- b. Implementation. Implement an algorithm in a recent learning theory paper with theoretical guarantees, and assess if / how the theoretical results align with the empirical results through numerical experiments;
- c. Original research. Formulate a new learning theoretic problem and propose a solution

for it, or attack an existing open problem in the learning theory community.

Throughout the course, students are highly encouraged to attend office hours of the instructor to discuss their project choice, project progress, etc.

Grading Scale and Policies

The instructing staff will grade your homework assignments and project on a scale from 0 to 100, with the following weights:

• Homework assignments: 40% (10% each)

Participation: 5%Scribe notes: 5%

• Quiz: 10%

Final exam: 20%Project: 20%

o 5% proposal

o 5% presentation

o 10% final report

The final grade in the course is determined by the better of a per-class grading curve and overall performance:

90% or better: A;

• 80% or better: B;

• 70% or better: C;

• 60% or better: D;

below 60%: E.

Students in this class will be asked to take turns preparing scribe notes to be posted on the class website using LaTeX. Please submit your scribe notes in no later than one week of the lecture. Grading will be done based on the quality of the scribed note.

See the "scheduled topics / activities" section for the timeline and due dates of the homework assignments and the project. Every homework is due in about 2 weeks, and will be returned to students within 7 week days except for the university holidays and before the next homework is due. Grading delays beyond promised return-by dates will be announced as soon as possible with an explanation for the delay.

There will be no late days for homework assignments. No exceptions will be made except for extraordinary situations.

Participation score will be based on the attendance and the Piazza activities: asking questions, answering them, and posting discussions.

There will be popup quiz every 1-2 weeks.

Grades for the project proposal and the report will be available in 7 weekdays. The final exam will be graded in 48 hours.

Department of Computer Science Grading Policy:

- 1. Instructors will explicitly promise when every assignment and exam will be graded and returned to students. These promised dates will appear in the syllabus, associated with the corresponding due dates and exam dates.
- 2. Graded homework will be returned before the next homework is due.
- 3. Exams will be returned "promptly", as defined by the instructor (and as promised in the syllabus).
- 4. Grading delays beyond promised return-by dates will be announced as soon as possible with an explanation for the delay.

Incomplete (I) or Withdrawal (W):

Requests for incomplete (I) or withdrawal (W) must be made in accordance with University policies, which are available at http://catalog.arizona.edu/policy/grades-and-grading-system#withdrawal respectively.

Dispute of Grade Policy: If you wish to dispute your grade for homework assignments or the project, you have two weeks after the grade has been turned in. In addition, even if only you dispute one portion of the grading for that unit, I reserve the right to revisit the entire unit (homework assignment or project).

Department of Computer Science Code of Conduct

The Department of Computer Science is committed to providing and maintaining a supportive educational environment for all. We strive to be welcoming and inclusive, respect privacy and confidentiality, behave respectfully and courteously, and practice intellectual honesty. Disruptive behaviors (such as physical or emotional harassment, dismissive attitudes, and abuse of department resources) will not be tolerated. The complete Code of Conduct is available on our department web site. We expect that you will adhere to this code, as well as the UA Student Code of Conduct, while you are a member of this class.

Classroom Behavior Policy

To foster a positive learning environment, students and instructors have a shared responsibility. We want a safe, welcoming, and inclusive environment where all of us feel comfortable with each other and where we can challenge ourselves to succeed. To that end, our focus is on the tasks at hand and not on extraneous activities (e.g., texting, chatting, reading a newspaper, making phone calls, web surfing, etc.).

Students are asked to refrain from disruptive conversations with people sitting around them during lecture. Students observed engaging in disruptive activity will be asked to cease this behavior. Those who continue to disrupt the class will be asked to leave lecture or discussion and may be reported to the Dean of Students.

Threatening Behavior Policy

The UA Threatening Behavior by Students Policy prohibits threats of physical harm to any member of the University community, including to oneself. See http://policy.arizona.edu/education-and-student-affairs/threatening-behavior-students.

Accessibility and Accommodations

At the University of Arizona, we strive to make learning experiences as accessible as possible. If you anticipate or experience barriers based on disability or pregnancy, please contact the Disability Resource Center (520-621-3268, https://drc.arizona.edu/) to establish reasonable accommodations.

Code of Academic Integrity

Students are encouraged to share intellectual views and discuss freely the principles and applications of course materials. However, graded work/exercises must be the product of independent effort unless otherwise instructed. Students are expected to adhere to the UA Code of Academic Integrity as described in the UA General Catalog. See http://deanofstudents.arizona.edu/academic-integrity.

Uploading material from this course to a website other than D2L (or the class piazza) is strictly prohibited and will be considered a violation of the course policy and a violation of the code of academic integrity. Obtaining material associated with this course (or previous offerings of this course) on a site other than D2L (or the class piazza), such as Chegg, Course Hero, etc. or accessing these sites during a quiz or exam is a violation of the code of academic integrity. Any student determined to have uploaded or accessed material in an unauthorized manner will be reported to the Dean of Students for a Code of Academic Integrity violation, with a recommended sanction of a failing grade in the course.

The University Libraries have some excellent tips for avoiding plagiarism, available at http://new.library.arizona.edu/research/citing/plagiarism.

Selling class notes and/or other course materials to other students or to a third party for resale is not permitted without the instructor's express written consent. Violations to this and other course rules are subject to the Code of Academic Integrity and may result in course sanctions. Additionally, students who use D2L or UA e-mail to sell or buy these copyrighted materials are subject to Code of Conduct Violations for misuse of student e-mail addresses. This conduct may also constitute copyright infringement.

Nondiscrimination and Anti-harassment Policy

The University of Arizona is committed to creating and maintaining an environment free of discrimination. In support of this commitment, the University prohibits discrimination, including harassment and retaliation, based on a protected classification, including race, color, religion, sex, national origin, age, disability, veteran status, sexual orientation, gender identity, or genetic information. For more information, including how to report a concern, please see http://policy.arizona.edu/human-resources/nondiscrimination-and-anti-harassment-policy

Our classroom is a place where everyone is encouraged to express well-formed opinions and their reasons for those opinions. We also want to create a tolerant and open environment where such opinions can be expressed without resorting to bullying or discrimination of others.

Additional Resources for Students

UA Academic policies and procedures are available at http://catalog.arizona.edu/policies
Visit the UArizona COVID-19 page for regular updates.

Campus Health

http://www.health.arizona.edu/

Campus Health provides quality medical and mental health care services through virtual and in-person care. Voluntary, free, and convenient COVID-19 testing is available for students on Main Campus. COVID-19 vaccine is available for all students at Campus Health.

Phone: 520-621-9202

Counseling and Psych Services (CAPS)

https://health.arizona.edu/counseling-psych-services

CAPS provides mental health care, including short-term counseling services.

Phone: 520-621-3334

The Dean of Students Office's Student Assistance Program

https://deanofstudents.arizona.edu/support/student-assistance

Student Assistance helps students manage crises, life traumas, and other barriers that impede success. The staff addresses the needs of students who experience issues related to social adjustment, academic challenges, psychological health, physical health, victimization, and relationship issues, through a variety of interventions, referrals, and follow up services.

Email: DOS-deanofstudents@email.arizona.edu

Phone: 520-621-7057

Survivor Advocacy Program

https://survivoradvocacy.arizona.edu/

The Survivor Advocacy Program provides confidential support and advocacy services to student survivors of sexual and gender-based violence. The Program can also advise students about relevant non-UA resources available within the local community for support.

Email: survivoradvocacy@email.arizona.edu

Phone: 520-621-5767

Campus Pantry

Any student who has difficulty affording groceries or accessing sufficient food to eat every day, or who lacks a safe and stable place to live and believes this may affect their performance in the course, is urged to contact the Dean of Students for support. In addition, the University of Arizona Campus Pantry is open for students to receive supplemental groceries at no cost. Please see their website at: campuspantry.arizona.edu for open times.

Furthermore, please notify me if you are comfortable in doing so. This will enable me to provide any resources that I may possess.

Pronouns and Preferred Names

This course affirms people of all gender expressions and gender identities. If you prefer to be called a different name than what is on the class roster, please let me know. Feel free to correct instructors on your pronoun. If you have any questions or concerns, please do not hesitate to contact me directly in class or via email (instructor email). If you wish to change your preferred name or pronoun in the UAccess system, please use the following guidelines:

Preferred name: University of Arizona students may choose to identify themselves within the University community using a preferred first name that differs from their official/legal name. A student's preferred name will appear instead of the person's official/legal first name in select

University-related systems and documents, provided that the name is not being used for the purpose of misrepresentation. Students are able to update their preferred names in UAccess.

Pronouns: Students may designate pronouns they use to identify themselves. Instructors and staff are encouraged to use pronouns for people that they use for themselves as a sign of respect and inclusion. Students are able to update and edit their pronouns in UAccess.

More information on updating your preferred name and pronouns is available on the Office of the Registrar site at https://www.registrar.arizona.edu/.

Pronouns for the current instructor Kwang-Sung Jun: he/him/his

Safety on Campus and in the Classroom

Familiarize yourself with the UA Critical Incident Response Team plans: https://cirt.arizona.edu/
Department of Computer Science Evacuation Plan for Gould-Simpson:
https://drive.google.com/file/d/1iR1IcGcV
BgbGnEFBzZ2-do0FbLC3cvo/view?usp=sharing.

Also watch the video available at https://ua-saem-aiss.narrasys.com/#/story/university-of-arizona-cert/active-shooter

Confidentiality of Student Records

http://www.registrar.arizona.edu/personal-information/family-educational-rights-and-privacy-act-1974-ferpa?topic=ferpa

Land Acknowledgement Statement

We respectfully acknowledge the University of Arizona is on the land and territories of Indigenous peoples. Today, Arizona is home to 22 federally recognized tribes, with Tucson being home to the O'odham and the Yaqui. Committed to diversity and inclusion, the University strives to build sustainable relationships with sovereign Native Nations and Indigenous communities through education offerings, partnerships, and community service.

Subject to Change Statement

Information contained in the course syllabus, other than the grade and absence policy, may be subject to change with advance notice, as deemed appropriate by the instructor.